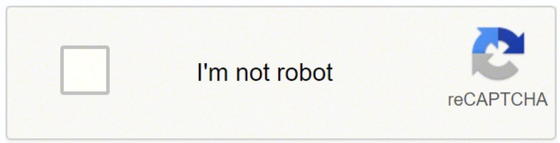

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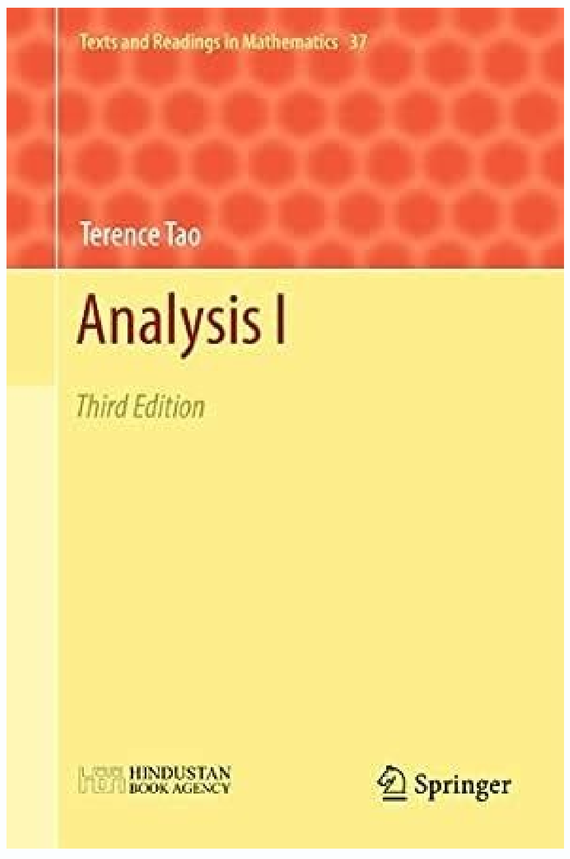
Terence tao analysis 1 solutions

19k Accesses 3 Altmetric Page 2This text is an honors-level undergraduate introduction to real analysis: the analysis of the real numbers, sequences and series of real numbers, and real-valued functions.



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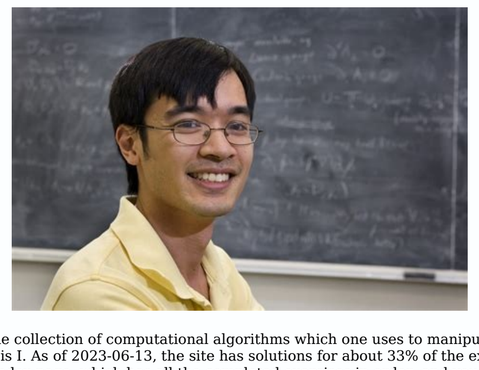

Real analysis is the theoretical foundation which underlies calculus, which is the collection of computational algorithms which one uses to manipulate functions.
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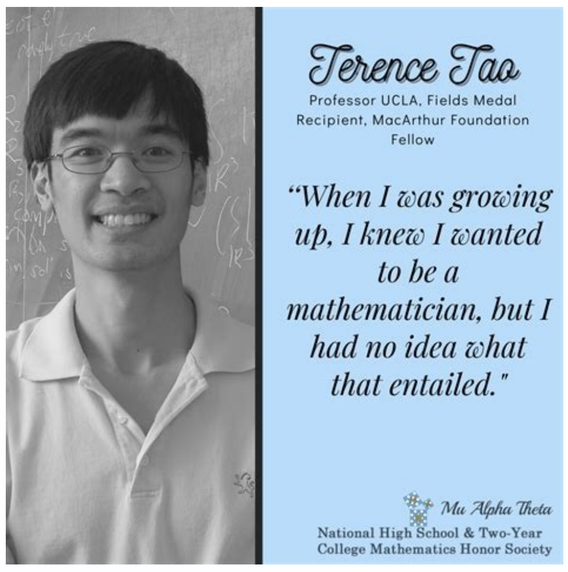

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